# **60 Rec'd PCT/PTO** 1 0 JUL 2001

Form PTO-1390	u.s. DEPARTMENT OF COMMERCE PATENT AND TRADEMARK OFFICE						
TRANSMITTAL LETTER TO THE UNITED STATES DESIGNATED/ELECTED OFFICE (DO/EO/US) CONCERNING A FILING UNDER 35 U.S.C. 371		U.S. APPLICATION NO. (If known, see 37 CFR 1.5) 09/868909					
INTERNATIONAL APPLICATION NO.	INTERNATIONAL FILING DATE	PRIORITY DATE CLAIMED					
PCT/AU00/00022	14 January 2000	15 January 1999					
TITLE OF INVENTION							
RESOLUTION INVARIANT PANORAMIC IMAGING							
APPLICANT(S) FOR DO/EO/US							
John Barratt MOORE and Tanya Louise CONROY  Applicant herewith submits to the United States Designated/Elected Office (DO/EO/US) the following items and other information.							
		ving items and other information.					
1. X This is a FIRST submission of items co		LS C 271					
<ol> <li>This is a SECOND or SUBSEQUENT submission of items concerning a filing under 35 U.S.C. 371.</li> <li>X This is an express request to promptly begin national examination procedures (35 U.S.C. 371(f)).</li> </ol>							
	•	'''					
<ul> <li>4. X The US has been elected by the expiration of 19 months from the priority date (PCT Article 31).</li> <li>5. X A copy of the International Application as filed (35 U.S.C. 371(c)(2)) <ul> <li>a. is attached hereto (required only if not communicated by the International Bureau).</li> <li>b. X has been communicated by the International Bureau.</li> <li>c. is not required, as the application was filed in the United States Receiving Office (RO/US).</li> </ul> </li> </ul>							
	International Application as filed (35 U.S.C. 371 (						
7. Amendments to the claims of the International Application under PCT Article 19 (35 U.S.C. 371(c)(3))  a. are attached hereto (required only if not communicated by the International Bureau).  b. have been communicated by the International Bureau.  c. have not been made; however, the time limit for making such amendments has NOT expired.  d. have not been made and will not be made.							
8. An English language translation of the amendments to the claims under PCT Article 19 (35 U.S.C. 371(c)(3))							
9. An oath or declaration of the inventor(s) (35 U.S.C371(c)(4)).  "Unexecuted"  10. An English language translation of the annexes to the International Preliminary Examination Report under PCT Article 36 (U.S.C. 371(c)(5)).							
Items-11 to 16 below concern other documen	t(s) or information included:						
11. Ässignee: <u>AUSTRIALIAN NATIONAL U</u>	NIVERSITY of AUSTRALIA						
12 An Information Disclosure Statement under 37 CFR 1.97 and 1.98.							
13 An assignment document for recording. A separate cover sheet in compliance with 37 CFR 3.28 and 3.31 is included.							
14. X A FIRST preliminary amendment. A SECOND or SUBSEQUENT preliminary amendment.							
15 A substitute specification.							
16 A change of power of attorney and/or address letter.  17 Figure of Drawing to be published							
18. X Other items or information: International PCT Application as publi PCT/IPEA/416. PCT/IPEA/409. PCT/IPEA/401. PCT/IB/308. PCT/ISA/210. Cover Letter under 35 USC 371 and 1. Claim of Priority.							

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U.S. APPLICATION NO. (IF key 9, 2007 CFR 1.5)		INTERNATIONAL APPLICATION NO.		ATTORNEY'S DOCKET NUMBER		
		PCT/AU00/00022	PCT/AU00/00022		P21210	
19 The following fees are submitted:			-	CALCULATIONS	PTO USE ONLY	
Basic National	Fee (37 CFR 1.492(a)(1)-(5					
Search report has be						
International preliminary examination fee paid to USPTO (37 CFR 1.482) \$ 690.00						
No international pre international search	eliminary examination fee pa fee paid to USPTO(37 CFR	uid to USPTO (37 CFR 1.482) but . 1.445(a)(2)	710.00			
Neither international international search	al preliminary examination for fee (37 CFR 1.445(a)(2) pa					
International preliminary examination fee paid to USPTO (37 CFR 1.482) and all claims satisfied provisions of PCT Article 33(2)-(4)						
ENTER APPROPRIATE BASIC FEE AMOUNT =				\$860.00		
Surcharge of \$130.00 for furnishing the oath or declaration later than 20 30 months from the earliest claimed priority date (37 CFR 1.492(e)).				\$		
Claims	Number Filed	Number Extra	RATE			
Total Claims	21 - 20 =	1	X \$18.00	\$18.00		
Independent Claims	2 -3=	0	X \$80.00	\$0.00		
Multiple dependent claim(s) (if applicable) + \$270.00				\$0.00		
TOTAL OF ABOVE CALCULATIONS =				\$878.00		
Applicant claims small entity status. See 37 CFR 1.27. The fees indicated above are reduced by 1/2.			\$			
SUBTOTAL =				\$878.00		
	0.00 for furnishing the Englishest claimed priority date (37)	1				
Extension of Time fee in the amount of \$						
TOTAL NATIONAL FEE =				\$878.00		
Fee tor recording the enclosed assignment (37 CFR 1.21(h). The assignment must be accompanied by an appropriate cover sheet (37 CFR 3.28, 3.31). \$40.00 per property +						
TOTAL FEES ENCLOSED =				\$878.00		
				Amount to be refunded	\$	
·				Charged	\$	
a. X A check in the amount of \$878.00 to cover the above fees is enclosed.						
b Please charge	my Deposit Account No	in the amount of \$ to cover t	he above fees.			
c. X The Commission Deposit According	oner is hereby authorized to ant No. <u>19-0089</u> .	charge any additional fees which may	be required, or o	credit any overpayment to		
NOTE: Where an appropriate time limit under 37 CFR 1.494 or 1.495 has not been met, a petition to revive (37 CFR 1.137(a) or (b)) must be filed and granted to restore the application to pending status.						
SEND ALL CORRESPONDENCE TO CUSTOMER NO. 7055 AT THE PRESENT ADDRESS OF:				Xosle Waperner Right		
Bruce H. Bernstein GREENBLUM & BERNSTEIN, P.L.C. 1941 Roland Clarke Place  SIGNATURE Bruce H. Bernstein NAME						
Reston, VA 20191 (703) 716-1191				29,027 REGISTRATION NUMBER		

#### IN THE UNITED STATES PATENT AND TRADEMARK OFFICE

Applicant: J.B. MOORE et al.

Appl. No. : Not Yet Assigned (National Stage of PCT/AU00/00022)

Filed : Concurrently Herewith (International Filing Date January 14, 2000)

For : RESOLUTION INVARIANT PANORAMIC IMAGING

# PRELIMINARY AMENDMENT

Assistant Commissioner of Patents Washington, D.C. 20231

Sir:

Prior to calculation of the fees and an examination of the above-identified patent application, the Examiner is respectfully requested to amend the claims, as follows:

# IN THE CLAIMS

Please amend the claims, as follows (a marked-up copy of the claims is attached hereto):

3. (Amended-Clean Text) A panoramic imaging system as claimed in claim 1 wherein the profile of the or each convex portion at least approximates a profile defined in polar co-ordinates by the equation:

$$\frac{dr}{d\theta} = rcot[-1/2](1 + \alpha(\theta)d\theta]$$

where r is the radial distance from the reflective surface to the imaging device

 $\theta$  is the angle from the optical axis of the imaging device  $\alpha(\theta)$  is the mirror gain given by

$$\alpha(\theta) = B_{\alpha}[\tan(\theta) + \tan^{3}(\theta)]$$

$$B_{\alpha} = \frac{2(\overline{\Phi} - \underline{\Phi})}{\tan^2(\overline{\theta}) - \tan^2(\underline{\theta})}$$

 $\overline{\Phi}$  and  $\underline{\Phi}$  are the maximum and minimum elevations viewed  $\overline{\theta}$  and  $\underline{\theta}$  are the maximum and minimum radial angles imaged.

- 6. (Amended-Clean Text) A panoramic imaging system as claimed in claim 1 including a first reflector surface having at least two of said convex portions arranged to respectively provide at least partially overlapping panoramic second fields of view for range determination.
- 9. (Amended-Clean Text) A panoramic imaging system as claimed in claim 1 including two of said first reflective surfaces each having an associated image plane with

corresponding first fields of view, and at least one convex portion of each first reflective surface providing respective panoramic second fields of view, said first reflective surface being arranged back to back such that said reflective second fields of view at least partially overlap.

- 10. (Amended-Clean Text) A panoramic imaging system as claimed in claim 1 further including a second surface interposed between the image plane and said second reflective surface.
- 13. (Amended-Clean Text) A panoramic imaging system as claimed in claim 10 wherein said second reflective surface is substantially planar.
- 16. (Amended-Clean Text) A reflective surface as claimed in claim 14 wherein the profile of the or each convex portion at least approximates a profile defined in polar co-ordinates by the equation:

$$\frac{dr}{d\theta} = rcot[-1/2\int (1+\alpha(\theta)d\theta)]$$

where r is the radial distance from the reflective surface to the imaging device

 $\theta$  is the angle from the optical axis of the imaging device  $\alpha(\theta)$  is the mirror gain given by

$$\alpha(\theta) = B_{\alpha}[\tan(\theta) + \tan^{3}(\theta)]$$

$$B_{\alpha} = \frac{2(\overline{\Phi} - \underline{\Phi})}{\tan^2(\overline{\theta}) - \tan^2(\underline{\theta})}$$

 $\overline{\Phi}$  and  $\underline{\Phi}$  are the maximum and minimum elevations viewed  $\overline{\theta}$  and  $\underline{\theta}$  are the maximum and minimum radial angles imaged.

19. (Amended-Clean Text) A reflective surface as claimed in claim 14 including a first reflector surface, having at least two of said convex portions arranged to respectively provide at least partially overlapping panoramic second fields of view for range determination.

#### **REMARKS**

The Examiner is respectfully requested to enter the foregoing amendment to delete multiple dependency prior to calculation of the filing fees and examination of the above-identified patent application.

The amendments to the claims made in this amendment have not been made to overcome the prior art, and thus, should be considered to have been made for a purpose unrelated to patentability, and no estoppel should be deemed to attach thereto.

Should there be any questions, the Examiner is invited to contact the undersigned at the below-listed telephone number.

Respectfully submitted, J.B. MOORE et al.

Bruce H. Bernstein

Reg. No. 29,027

July 9, 2001 GREENBLUM & BERNSTEIN, P.L.C. 1941 Roland Clarke Place Reston, VA 20191 (703) 716-1191

## MARKED-UP COPY OF CLAIMS

3. (Amended) A panoramic imaging system as claimed in claim 1 [or claim 2] wherein the profile of the or each convex portion at least approximates a profile defined in polar co-ordinates by the equation:

$$\frac{dr}{d\theta} = rcot[-1/2](1 + \alpha(\theta)d\theta]$$

where r is the radial distance from the reflective surface to the imaging device

 $\theta$  is the angle from the optical axis of the imaging device  $\alpha(\theta)$  is the mirror gain given by

$$\alpha(\theta) = B_{\alpha}[\tan(\theta) + \tan^{3}(\theta)]$$

$$B_{\alpha} = \frac{2(\overline{\Phi} - \underline{\Phi})}{\tan^2(\overline{\theta}) - \tan^2(\underline{\theta})}$$

 $\varphi$  and  $\varphi$  are the maximum and minimum elevations viewed  $\theta$  and  $\underline{\theta}$  are the maximum and minimum radial angles imaged.

- 6. (Amended) A panoramic imaging system as claimed [in any one of claims 1 to 5] in claim 1 including a first reflector surface having at least two of said convex portions arranged to respectively provide at least partially overlapping panoramic second fields of view for range determination.
- 9. (Amended) A panoramic imaging system as claimed [in any one of claims 1 to 8] in claim 1 including two of said first reflective surfaces each having an associated image plane with corresponding first fields of view, and at least one convex portion of each first reflective surface providing respective panoramic second fields of view, said first reflective surface being arranged back to back such that said reflective second fields of view at least partially overlap.
- 10. (Amended) A panoramic imaging system as claimed [in any one of claims 1 to 9] in claim 1 further including a second surface interposed between the image plane and said second reflective surface.
- 13. (Amended) A panoramic imaging system as claimed in [any of claims 10 to 12] claim 10 wherein said second reflective surface is substantially planar.

16. (Amended) A reflective surface as claimed in claim 14 [or claim 18] wherein the profile of the or each convex portion at least approximates a profile defined in polar co-ordinates by the equation:

$$\frac{dr}{d\theta} = rcot[-1/2\int (1+\alpha(\theta)d\theta)]$$

where r is the radial distance from the reflective surface to the imaging device  $\theta$  is the angle from the optical axis of the imaging device  $\alpha(\theta)$  is the mirror gain given by

$$\alpha(\theta) = B_{\alpha}[\tan(\theta) + \tan^{3}(\theta)]$$

$$B_{\alpha} = \frac{2(\overline{\Phi} - \underline{\Phi})}{\tan^2(\overline{\theta}) - \tan^2(\underline{\theta})}$$

 $\varphi$  and  $\underline{\varphi}$  are the maximum and minimum elevations viewed  $\theta$  and  $\underline{\theta}$  are the maximum and minimum radial angles imaged.

19. (Amended) A reflective surface as claimed [in any one of claims 14 to 18] in claim 14 including a first reflector surface, having at least two of said convex portions arranged to respectively provide at least partially overlapping panoramic second fields of view for range determination.

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#### RESOLUTION INVARIANT PANORAMIC IMAGING

#### FIELD OF THE INVENTION

This invention relates to generating wide angle images of spaces, generally referred to as 5 panoramic imaging.

#### **BACKGROUND ART**

Panoramic imaging is becoming an important tool in the area of mobile robotics and machine vision. There are many documented methods for recording a panoramic view of a scene. One simple method involves having a series of cameras mounted on a ring to give views around the entire 360° of horizon. This involves, say, four cameras if they each have a field of view of 90° and some integration of images. There are also a number of single camera methods for panoramic imaging, including rotating a camera about its vertical axis and taking pictures continuously to obtain a full panoramic view. Another approach uses wide angle lenses to achieve a large field of view, but these lenses are heavy, expensive and distort the image.

An attractive approach to panoramic imaging is to mount a single fixed camera under a curved reflective surface covering a hemisphere such as with a conical, spherical, hyperboloidal, or other profile. The optical axis of the camera is aligned with the central axis of the mirror. A known family of constant gain reflective surfaces have the advantage that they can produce large fields of view such as for a hemispherical or hyperboloidal mirror yet preserve a linear relationship between changes in angles of incidence and reflection of light rays viewed by the camera. This linear relationship simplifies image processing and ensures constant elevational resolution of the image. The shape of the surface is determined by the gain of the linear relationship. For a unity gain, the surface is a cone; for higher gains, the surface is specified by a family of polynomial functions. For ease of explanation in this specification the panoramic plane will be considered as being horizontal and the field of view as vertical as would be the case for a robot moving in a horizontal plane. It will be apparent that in the general case orientation of the planes is arbitrary.

All the mirror shapes mentioned above share a common draw back. That is that the CCD cameras used for imaging invariably have uniform Cartesian arrays of pixels to capture the polar image of the scene, and so the pixel density per solid angle increases with the radius of the polar image. The unwarping process transforms the image from polar to Cartesian coordinates so that the angular coordinate in the original polar image maps to the x-coordinate in the unwarped image while the radial coordinate maps to the y-coordinate. Thus the pixel density in the unwarped image varies from low for small x values which correspond to the centre of the original image to high for large x values which correspond to the outer rim of the polar image. This is illustrated in Figure 1 which shows the unwarping of an image captured with a hyperboloidal mirror. The variation in image quality is clearly evident in the unwarped version.

One way to circumvent this problem is to use a specially designed CCD camera with a polar array of pixels with a pixel density which decreases with radius. There are alignment problems with such an approach.

#### DISCLOSURE OF THE INVENTION

In a first aspect this invention provides a panoramic imaging system including an imaging device having an image plane and a first field of view, a first reflective surface having at least one circularly symmetric portion convex in a radial direction disposed in said first field of view to provide an expanded panoramic second field of view, the profile of the or each convex portion providing a varying gain between the fields of view in the radial direction to limit variation in the solid angle of view across the image plane of the imaging device.

25 Preferably, the profile of the convex portion provides a substantially uniform solid angle of view across the image plane. That is, the shape ensures that the resolution in the image is invariant to changes in elevation. Thus, where the imaging system involves a device with an array of uniformly spaced pixels in the image plane, the shape of the reflective surfaces results in solid angle pixel density invariance.

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The profile of the reflective surface in polar coordinates is preferably determined by solving the equation

$$\frac{dr}{d\theta} = r \cot \left[ -\frac{1}{2} \int (1 + \alpha(\theta)) d\theta \right]$$

where r is the radial distance from the reflective surface to the imaging device  $\theta$  is the angle from the optical axis of the imaging device  $\alpha$  ( $\theta$ ) is the mirror gain given by

$$\alpha(\theta) = B_{\alpha} [\tan(\theta) + \tan^{3}(\theta)]$$

$$B_{\alpha} = \frac{2(\overline{\Phi} - \underline{\Phi})}{\tan^2(\overline{\theta}) - \tan^2(\underline{\theta})}$$

 $\Phi$  and  $\Phi$  are the maximum and minimum elevations viewed  $\theta$  and  $\Phi$  are the maximum and minimum radial angles imaged.

In one approach r can be plotted against  $\theta$  at selected intervals to describe the profile by solving the above equation for selected values of  $\theta$ . For example determining values of r for incremental values of  $\theta$  of about  $1/5^{\circ}$  has been found to produce a sufficiently accurate profile for practical application.

There are a number of methods for panoramic range finding. One method uses a cone mirror above a camera. The camera mirror assembly is either displaced during image collection, or two camera mirror assemblies are used to obtain the two views necessary for range finding. Although this method provides range information in the horizontal plane at video rates, its drawbacks are that no range information is available in the vertical (elevation) direction, objects must be more than a minimum distance from the camera and there may be a blind spot

due to the second camera system.

A discontinuous, axially symmetric mirror, which is in essence a coaxial mirror pair, mounted above a camera to obtain two views of a panoramic scene for stereo disparity range finding 5 is known. There are however no proposals concerning specific mirror shapes to achieve specific desirable properties. Additionally, known constant gain mirror profiles have been generalised to derive a family of such coaxial mirror pair profiles for panoramic stereo imaging and processing based on disparities in the vertical plane.

10 In another aspect this invention provides for range finding using a panoramic imaging system containing two resolution invariant mirrors. Preferably the mirror or reflector surface has at least two of said convex portions arranged to respectively provide at least partially overlapping panoramic second fields of view for range determination. The second fields of view are preferably substantially co-incident. In the preferred form of the invention the two convex portions form a continuous mirror or reflective surface.

In a further aspect this invention provides a design for a back to back stereo mirror system with the desirable property of equal pixel sharing between two cameras and thus the two stereo images. The stereo cone in this case is preferably symmetric in the directions orthogonal to the camera axis which is a desirable property for some applications. In this aspect of the invention the imaging system preferably includes two first reflective surfaces each having an associated image plane with corresponding first fields of view, and at least one convex portion of each first reflective surface providing respective panoramic second fields of view, said first reflective surface being arranged back to back such that said reflective second fields of view at least partially overlap.

A second reflective surface can, in some applications be interposed between the image plane and the second reflective surface. This allows positioning of the imaging device for example behind the first reflective surface. In some variations an apperture can be provided in the first reflective surface to provide the first field of view from the imaging device.

In another aspect this invention provides a reflective surface for use in a panoramic imaging system including an imaging device having an imaging plane and a first field of view, said reflective surface having at least one circularly symmetric portion convex in a radial direction with a profile providing varying gain in the radial direction between an expanded panoramic second field of view provided by the reflective surface and the first field of view to limit variation in the solid angle of view across the image plane of the imaging device.

In yet a further aspect this invention provides mirrors having minimal intrusive designs, which intrude to a minimal extent into the viewing "hemisphere". These are also termed forward 10 facing designs. They involve an additional planar mirror and camera relocation within the primary reflective surface. The attraction of this arrangement is that the first reflective mirror surface profile is the same design as in a more conventional arrangement.

The invention will be further described, by way of example only with reference to the accompanying drawings.

# BRIEF DESCRIPTION OF THE DRAWINGS

Figure 1 illustrates an unwarping process for a prior art panoramic imaging system;

Figure 2 schematically shows the relationship between camera image and horizontal

view direction in a panoramic imaging system;

Figure 3 illustrates geometric relationships between a reflecting surface and a camera used to derive mirror profiles according to this invention;

Figures 4A and 4B, are graphs showing a comparison of a constant gain mirror with 5 a variable gain mirror used in the imaging system according to this invention;

Figures 5A and 5B, shows ray traced scenes respectively reflected in constant and variable gain mirrors;

Figures 6A and 6B, graphically illustrates a comparison of panoramic imaging systems respectively utilising double constant and variable gain mirror configurations;

Figures 7A and 7B, shows raced traced images of scenes respectively corresponding to panoramic imaging systems utilising double constant and variable gain mirror configurations;

Figure 8 schematically illustrates relationships between camera and reflective surfaces used in range calculation utilising a resolution invariant double mirror according to this invention;

Figure 9 schematically illustrates a back to back mirror configuration according to this invention;

Figure 10 schematically illustrates a double back to back mirror configuration according to this invention;

Figure 11 schematically illustrates a forward looking panoramic imaging system according to this invention; and

Figure 12 shows a system utilising a combination of the arrangements in Figures 10 and 11.

#### 25 BEST MODE FOR CARRYING OUT THE INVENTION

The various aspects of this invention will, for clarity, be described under separate subheadings.

#### 1 Resolution Invariant Mirror Families

This section describes a family of mirror designs that achieve the objective of resolution invariance, or equivalently solid angle pixel density invariance.

# 5 1.1 Constant Image Pixel Density - The Variable Gain (α) Mirror

In accordance with one aspect of this invention resolution invariance is achieved by adjusting the mirror profile to image relatively less of the scene in the centre of the image and relatively more at the perimeter. That is, a mirror profile is selected to maintain a constant relationship between the pixel density and the angle of elevation in the scene or more precisely, the solid angle. The mirror gain  $\alpha$ , is the relationship between the change in elevation of rays incident on the mirror and the change in the angle of rays reflected into the camera as follows

$$\alpha = \frac{\delta \Phi}{\delta \theta} \tag{1}$$

where  $\delta \phi$  is the change in vertical elevation and  $\delta \theta$  is the change in angle of reflected rays received by the camera. With resolution invariance  $\alpha$  becomes a function of image angle  $\theta$  which is related to the radial coordinate in the image,  $\rho$ , as shown in Figure 2.

Figure 3 schematically shows an imaging system including an imaging device in the form of 20 a camera having an image plane and a first field of view. A reflective surface or mirror is ... in the first field of view to provide an expanded panoramic second field of view. The surface is circularly symmetric and convex in a radial direction.

Consider a mirror profile  $(r, \theta)$  in polar coordinates where r is the radial distance to the camera and  $\theta$  is the angle from the optical axis of the camera to the point on the mirror surface as shown in Fig. 3. The angle of incidence of a light ray relative to the mirror is  $\gamma$  and the angle of an incoming light ray with respect to the vertical is  $\varphi$ . Then

$$\gamma = \tan^{-1} \left( \frac{rd\theta}{dr} \right)$$
 (2)

subject to the geometric constraint (from the law of reflection)

$$2\gamma + \theta + \varphi = \pi \tag{3}$$

5 Differentiating (2) and (3) with respect to  $\theta$ 

$$\frac{d\gamma}{d\theta} = \frac{d}{d\theta} \left[ \tan^{-1} \left( \frac{rd\theta}{dr} \right) \right] \qquad From (2)$$

$$\frac{d\gamma}{d\theta} = -\frac{1}{2} \left( 1 + \frac{d\Phi}{d\theta} \right) \qquad From (3)$$

so, substituting  $\alpha$  from (1) gives

$$\frac{d}{d\theta} \left[ \tan^{-1} \left( \frac{r d\theta}{dr} \right) \right] = -\frac{1}{2} (1 + \alpha)$$
 (4)

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Now, for a variable gain mirror,  $\alpha$  is a function of image angle  $\theta$  (related to the radial coordinate in the image,  $\rho$ ) so (4) becomes

$$\frac{d}{d\theta} \left[ \tan^{-1} \left( \frac{rd\theta}{dr} \right) \right] = -\frac{1}{2} (1 + \alpha(\theta))$$
 (5)

or, rearranging

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$$\frac{dr}{d\theta} = r \cot\left[-\frac{1}{2}\int (1+\alpha(\theta))d\theta\right]$$
 (6)

The equation for the mirror gain,  $\alpha$  ( $\theta$ ) to achieve pixel density invariance can be found using the following theory.

# 1.1.1 Pixel Density Invariance Profiles

There are  $p(\rho)$  pixels in an area of radius  $\rho$  in the image. More formally, there are

$$p(\rho) = \pi \kappa \rho^2$$

10 pixels in an area of radius  $\rho$ , where  $\kappa$  is the number of pixels per unit area, a constant. Differentiating by  $\rho$  gives

$$\frac{\partial p(\rho)}{\partial \rho} = 2\pi\kappa\rho \tag{7}$$

Now, the radius in the image,  $\rho$  is related to the radial angle of a ray reflected from the 15 mirror,  $\theta$  by the focal length of the camera, f (a constant)

$$\rho = f \tan(\theta) \tag{8}$$

so differentiating  $p(\rho)$  by  $\theta$  and substituting (7) and (8) gives

5

 $\frac{\partial p(\rho)}{\partial \theta} = \frac{\partial p(\rho)}{\partial \rho} \frac{\partial \rho}{\partial \theta}$   $= 2\pi\kappa\rho f \frac{\partial \tan(\theta)}{\partial \theta}$   $= 2\pi\kappa f^2 \tan(\theta)(1 + \tan^2(\theta))$ (9)

Now, it is required that the image pixel density be invariant to angle of elevation in the scene which leads to more of the scene being imaged towards the perimeter, so

$$p(\rho) = \beta \phi + C(\phi) \tag{10}$$

where  $\beta$  and C( $\varphi$ ) are constants. Differentiating both sides of (10) by  $\varphi$  and substituting (1) and (9) gives

$$\beta \frac{\partial \Phi}{\partial \Phi} = \frac{\partial p(\rho)}{\partial \Phi}$$

$$\beta = \frac{\partial p(\rho)}{\partial \theta} \cdot \frac{\partial \theta}{\partial \Phi}$$

$$= \frac{2\pi \kappa f^2 \tan(\theta)(1 + \tan^2(\theta))}{\alpha(\theta)}$$
(11)

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Rearranging (11) gives

$$\alpha(\theta) = \left(\frac{2\pi f^2 \kappa}{\beta}\right) \tan(\theta) [1 + \tan^2(\theta)]$$

$$= B_{\alpha} [\tan(\theta) + \tan^3(\theta)]$$
(12)

where  $B_{\alpha}$  is a constant. Integrating this expression for  $\alpha(\theta)$  by  $\theta$  gives an expression for  $\varphi$  (see (1)), the elevation of an object imaged at angle  $\theta$ . That is

 $\phi = \frac{B_{\alpha}}{2} \tan^2(\theta) + \phi(\theta = 0)$  (13)

where  $\phi$  ( $\theta = 0$ ) is a constant of integration.

The constants  $B_{\alpha}$  and  $\phi$  ( $\theta = 0$ ) can be determined from the maximum and minimum values 5 of  $\theta$  and  $\phi$  which are known for a desired mirror configuration, using (13).

$$B_{\alpha} = \frac{2(\overline{\Phi} - \underline{\Phi})}{\tan^{2}(\overline{\theta}) - \tan^{2}(\underline{\theta})}$$

$$\Phi(\theta = 0) = \underline{\Phi} - \frac{B_{\alpha}}{2} \tan^{2}(\underline{\theta})$$
(14)

It appears not possible to find an analytical solution to (6) if  $\alpha$  is a function of  $\theta$ , so there is no explicit equation for the mirror shape. Instead, a differential equation solver is needed to 10 find solutions to (6) over the range of  $\theta$  (the mirror surface).

Figures 4A and 4B show for comparison a constant gain mirror and a variable gain mirror with the same camera field of view and range of elevations imaged. The rays shown are constantly spaced in θ, with about 2° between each ray. It is clear from Fig. 4A that in the constant gain case these rays are constantly spaced in φ, with about 8.5° between each ray, and from Fig. 4, that the spacing between the rays in the variable gain case increases with increasing φ. So, in the variable gain case, a greater proportion of the scene is imaged towards the outer edge of the polar image. This is also shown in Figures 5A and 5B, ray traced images reflected in a constant gain and variable gain mirror with the same range of elevations visible.

# 1.2 Panoramic Stereo Using a Variable Gain Mirror

A mirror with two convex portions or a double mirror is required. The radial profile of a double mirror is shown in Figure 8. The mirror arrangement for panoramic stereo with variable gain mirrors will necessarily be different than for constant gain mirrors due to the variation of the mirror gain, α. The gain must vary in a constant fashion over the entire double mirror so that the constant pixel density

theorem will hold over the entire image. If the minimum and maximum elevations viewed ( $\underline{\Phi}$  and  $\overline{\Phi}$ ) are to be equal for both mirrors in the double mirror system, the range of reflected angles ( $\overline{\theta}$  -  $\underline{\theta}$ ) cannot be equal for the two mirrors. The minimum and maximum angles of reflected rays captured by the camera over the entire mirror surface are known from camera geometry. Therefore the minimum ray reflected from the lower mirror ( $\underline{\theta}_1$ ) and the maximum ray reflected from the upper mirror ( $\overline{\theta}_2$ ) are known. So, since (12) holds over the entire mirror,  $B_{\alpha}$  is constant, and from (14)

$$\frac{2(\overline{\Phi} - \underline{\Phi})}{(\tan^{2}(\overline{\theta_{1}}) - \tan^{2}(\underline{\theta_{1}}))} = \frac{2(\overline{\Phi} - \underline{\Phi})}{\tan^{2}(\overline{\theta_{2}}) - \tan^{2}(\underline{\theta_{2}})}$$

$$\tan^{2}(\overline{\theta_{1}}) - \tan^{2}(\underline{\theta_{1}}) = \tan^{2}(\overline{\theta_{2}}) - \tan^{2}(\underline{\theta_{2}})$$

$$\tan^{2}(\overline{\theta_{1}}) + \tan^{2}(\underline{\theta_{2}}) = \tan^{2}(\overline{\theta_{2}}) + \tan^{2}(\underline{\theta_{1}})$$
(15)

It is desirable to minimise the gap in the radial direction between the images from the two mirrors so as to maximise usage of the camera field of view. For minimum gap  $\overline{\theta}_1 = \underline{\theta}_2$ , so

$$2 \tan^{2}(\overline{\theta_{1}}) = \tan^{2}(\overline{\theta_{2}}) + \tan^{2}(\underline{\theta_{1}})$$

$$\overline{\theta_{1}} = \tan^{-1}\left[\left(\frac{\tan^{2}(\overline{\theta_{2}}) + \tan^{2}(\underline{\theta_{1}})}{2}\right)^{\frac{1}{2}}\right]$$
(16)

Figures 6A, 6B and 7A, 7B show graphical and ray traced comparisons of constant and variable gain double mirror systems viewing the same scene.

# 2.4 Calculation of Range for a Variable Gain Panoramic Stereo System

The information available for range calculation are the image angles for a single object reflected in both mirrors,  $\theta_1$  and  $\theta_2$  as shown in Figure 8. The two mirrors  $\theta_1$  and  $\theta_2$  form a reflective surface. The differential equations (6) for the surfaces are known. In the calculations that follow only the lower mirror is examined as the results are identical for the 10 upper mirror.

In order to find the position of object P, the equations of the incident beams from P to each mirror reflection point  $(r_1, \theta_1)$  and  $(r_2, \theta_2)$  must be found. These equations can then be solved simultaneously to give the position of object P,  $(x_P, y_P)$ .

15

5

$$\begin{bmatrix} y_{P} \\ x_{P} \end{bmatrix} = \begin{bmatrix} 1 - m_{II} \end{bmatrix}^{-1} \begin{bmatrix} C_{II} \\ 1 - m_{I2} \end{bmatrix}^{-1} \begin{bmatrix} C_{II} \\ C_{I2} \end{bmatrix}$$

$$= \begin{bmatrix} -\frac{m_{I2}}{m_{I2} - m_{II}} \frac{m_{II}}{m_{I2} - m_{II}} \end{bmatrix} \begin{bmatrix} C_{II} \\ C_{I2} \end{bmatrix}$$

$$= \begin{bmatrix} -\frac{1}{m_{I2} - m_{II}} \frac{1}{m_{I2} - m_{II}} \end{bmatrix} \begin{bmatrix} C_{II} \\ C_{I2} \end{bmatrix}$$
(17)

where  $m_{I1}$  is the gradient of the incident beam to the lower mirror and  $C_{I1}$  is the equation constant. The equation constant is given by

$$C_{II} = y_1 - m_{II} x_1 \tag{18}$$

where

5

$$x_{I} = r_{I} \sin \theta_{I}$$

$$y_{I} = r_{I} \cos \theta_{I}$$
(19)

are the Cartesian coordinates of the reflection point  $(r_1, \theta_1)$ . The gradient of the incident 10 beam is found using the law of reflection

$$m_{II} = \tan \left[ \tan^{-1} \left( \frac{dy_1}{dx_1} \right) + \tan^{-1} \left( \frac{1}{m_{RI}} \right) - \tan^{-1} \left( \frac{dx_1}{dy_1} \right) \right]$$
 (20)

where  $m_{R1}$  is the gradient of the reflected beam from the lower mirror to the camera and 15  $dy_1/dx_1$  is the gradient of the lower mirror profile at the reflection point. The gradient of the reflected beam is

$$m_{RI} = \tan \theta_1 \tag{21}$$

The gradient of the mirror profile for the lower variable gain mirror is found as in the constant gain case, from

$$\frac{dy_1}{dx_1} = \frac{dy_1}{d\theta_1} / \frac{dx_1}{d\theta_1}$$

$$= \frac{\frac{dr_1}{d\theta_1} \cos \theta_1 - r_1 \sin \theta_1}{\frac{dr_1}{d\theta_1} \sin \theta_1 + r_1 \cos \theta_1}$$
(22)

where  $dr/d\theta$  for either mirror of the variable gain mirror configuration is found by integrating (5) and substituting (12).

$$\int d \tan^{-1} \left( r \frac{d\theta}{dr} \right) = -\frac{1}{2} \int (1 + \alpha(\theta)) d\theta$$

$$\tan^{-1} \left( r \frac{d\theta}{dr} \right) = -\frac{1}{2} \theta - \frac{B_{\alpha}}{2} \int (\tan(\theta) + \tan^{3}(\theta)) d\theta$$

$$= -\frac{1}{2} \theta - \frac{B_{\alpha}}{4} \tan^{2}(\theta) + D$$
(23)

where D is a constant of integration. Rearranging (23) gives

5

$$\frac{dr}{d\theta} = r \cot \left( -\frac{1}{2}\theta - \frac{B_{\alpha}}{4} \tan^2(\theta) + D \right)$$
 (24)

Now from (23) and (2),

$$D = \gamma + \frac{1}{2}\theta + \frac{B_{\alpha}}{4}\tan^2(\theta)$$
 (25)

10 so, for the lower variable gain mirror profile

 $D_1 = \underline{\gamma_1} + \frac{1}{2}\underline{\theta_1} + \frac{B_\alpha}{4} \tan^2(\underline{\theta_1})$ 

similarly for  $D_2$ , for the upper variable gain profile.

So, by substituting (24) into (22) gives the gradient of the variable gain mirror profiles at any 5 point. Note that as in the constant gain case, the gradient depends only on  $\theta$ .

The equation constants for the incident beam equations from (18) require the polar coordinates of the reflection points from each mirror,  $(r_1, \theta_1)$  and  $(r_2, \theta_2)$ . Since the variable gain mirror equations are not known exactly,  $r_1$  and  $r_2$  must be found using a differential equation solver to find solutions to (26) at  $\theta_1$  and  $\theta_2$ .

# 2 Back-to-back Stereo Mirror Families

A key disadvantage of single camera stereo panoramic systems is that since there are two images of the "same" scene, the pixels assigned to each image is half that for non stereo panoramic imaging and the two images do not share an equal number of pixels in constant gain schemes. Actually, the panoramic stereo double mirror method typically causes the view of a scene in one radial direction to be compressed into around 1/4 the field of view of the camera.

20

A method to achieve panoramic stereo with less image compression is to use two cameras and two single curved mirror surfaces back to back, as shown in Fig. 9. This method compresses the imaged scene into 1/2 the field of view of the camera, and indeed each image has an equal share of the total number of pixels available. There are, however, possible alignment problems with this system as with any stereo system using two cameras to capture two views of a scene.

An advantage of the scheme proposed in Fig. 9 is that the stereo cone can be symmetric about

the horizon using two cameras with equal fields of view and the maximum and minimum angles of elevation reflected by the two mirrors being equal. The angle covered by the stereo cone in this case is  $2\phi - \pi$ . Fig.9 shows the general case where the maximum and minimum angles of elevations viewed by each camera need not be equal. The range of elevations must 5 still be equal for the fields of view to be aligned.

The number of free parameters to be specified are reduced here as the minimum angle of elevation ( $\phi$ ) and from one mirror must be parallel to the maximum angle of elevation ( $\overline{\phi}$ ) from the other mirror. This is to ensure that the fields of view are parallel. So, with reference to Fig. 9

$$\Phi = \pi - \overline{\Phi}$$
(26)

In the scheme of Fig. 9, the mirror families can be either constant gain or resolution invariant.

15

# 2.1 The Use of Double Mirrors in a Back to Back Design

Fig. 10 shows a back to back design incorporating double mirrors. Although the figure shows 20 constant gain mirrors, the double mirror can also have a variable gain. The advantage to this system is that the stereo cone from the back to back configuration combines with the stereo cones from the double mirror configuration to increase the total area imaged in stereo. In this configuration, the fields of view of each double mirror pair need not be aligned as in previous examples. For symmetry about the horizon  $\phi_3 = \phi_1$ ,  $\phi_4 = \phi_2$ ,

25  $\overline{\varphi}_3 = \overline{\varphi}_1$  and  $\overline{\varphi}_4 = \overline{\varphi}_2$  . The constraints

- 18 -

$$\frac{\overline{\phi_3}}{\overline{\phi_4}} = \pi - \frac{\overline{\phi_2}}{\overline{\phi_1}}$$

align the three stereo cones.

It is also possible to increase the total stereo cone further by allowing the mirror pairs to have 5 different gains.

# 3 Forward Looking Mirror Design

An example of a forward looking mirror design is shown in Fig. 11. For many applications, it is desirable to have a panoramic camera looking out from, say, a hemisphere, somewhat as an eye of a bird, or perhaps two such on either side of a "nose cone". There are aerodynamic considerations or other protrusion considerations which motivate such a "forward looking" system. This configuration is termed forward looking because the camera faces towards the scene. Either a constant or variable gain mirror (double or single) could be used for the curved mirror in the system. The planar mirror is an annulus or circle interposed such that all rays reflected from the curved mirror are reflected into camera o positioned behind the curved mirror. The dotted lines in Fig. 11 show where the reflected rays would converge if the planar mirror was removed and the dotted camera shows the camera o' for an equivalent system without the planar mirror.

20

In order for the rays reflected by the planar mirror to converge at the new camera position, the planar mirror must be the perpendicular bisector of the line joining the old and new camera locations. Hence the distance between the camera locations is 2D where D is defined in Fig. 11 as the distance from either camera to the planar mirror. The introduction of the planar mirror into the system does increase the possibility of alignment difficulties as the planar mirror must be perpendicular to the camera axis and also be positioned so as to reflect all rays from the curved mirror into the camera without occluding the view of the curved mirror.

The maximum value for D,D, is when the maximum beam reflected from the mirror system (the  $\theta$  beam reflected at point b on the planar mirror) into camera o grazes the curved profile at c. In this case

5

$$\overline{D} = \frac{\underline{r} \cos{(\underline{\theta})} [\tan{(\underline{\theta})} + \tan{(\overline{\theta})}]}{2 \tan{(\overline{\theta})}}$$
 (27)

D, defines the minimum height for the mirror system,  $\underline{H}$ . In practice, the value for D needs to be slightly smaller to avoid occlusion, leading to a larger mirror system height. The general equation for the height of the mirror system is

10

$$H = \overline{r} \cos(\overline{\theta}) - D \tag{28}$$

It should also be noted that  $\underline{\theta}$  must be greater than zero for camera o to be located behind the curved mirror. Also,  $\underline{\varphi} \ge \underline{\theta}$  if the minimum elevation ray  $\underline{\varphi}$  is not to be occluded by the planar mirror.

15

Fig. 12 shows a design that incorporates the ideas of Sections 2 and 3. It consists of two forward looking systems back to back, giving a design reminiscent of a eye mounted on a stalk, such as a crab's eye. The "stalk" for this system would be hidden from view by the lower planar mirror. In this arrangement portions are provided in the curved mirror to 20 provide for reflection of rays from the curved surface to the camera by the plane mirrors.

The foregoing describes only some aspects of the present invention and modifications can be made without departing from the scope of the invention.

5

20

# **CLAIMS:**

- A panoramic imaging system including an imaging device having an image plane and
  a first field of view, a first reflective surface having at least one circularly symmetric portion
  convex in a radial direction disposed in said first field of view to provide an expanded
  panoramic second field of view, the profile of the or each convex portion providing a varying
  gain between the fields of view in the radial direction to limit variation in the solid angle of
  view across the image plane of the imaging device.
- 10 2. A panoramic imaging system as claimed in claim 1 wherein the profile of the or each convex portion provides a substantially uniform solid angle of view across the image plane.
- 3. A panoramic imaging system as claimed in claim 1 or claim 2 wherein the profile of the or each convex portion at least approximates a profile defined in polar co-ordinates by the 15 equation:

$$\frac{dr}{d\theta} = r \cot \left[ -\frac{1}{2} \int (1 + \alpha(\theta)) d\theta \right]$$

where r is the radial distance from the reflective surface to the imaging device  $\theta$  is the angle from the optical axis of the imaging device  $\alpha(\theta)$  is the mirror gain given by

$$\alpha(\theta) = B_{\alpha} [\tan(\theta) + \tan^{3}(\theta)]$$

$$B_{\alpha} = \frac{2(\overline{\Phi} - \underline{\Phi})}{\tan^2(\overline{\theta}) - \tan^2(\underline{\theta})}$$

 $\overline{\Phi}$  and  $\underline{\Phi}$  are the maximum and minimum elevations viewed  $\overline{\theta}$  and  $\underline{\theta}$  are the maximum and minimum radial angles imaged.

- 4. A panoramic imaging system as claimed in claim 3 wherein the profile of the or each convex portion includes by a series spaced apart points defined by determining distance r for selected values of angle  $\theta$ .
- 5 5. A panoramic imaging system as claimed in claim 4 wherein the selected values of  $\theta$  are separated by about  $1/5^{\circ}$ .
- 6. A panoramic imaging system as claimed in any one of claims 1 to 5 including a first reflector surface having at least two of said convex portions arranged to respectively provide 10 at least partially overlapping panoramic second fields of view for range determination.
  - 7. A panoramic imaging system as claimed in claim 6 wherein said panoramic second fields of view are substantially co-incident.
- 15 8. A panoramic imaging system as claimed in claim 7 wherein said at least two convex portions form a continuous reflective surface.
- 9. A panoramic imaging system as claimed in any one of claims 1 to 8 including two of said first reflective surfaces each having an associated image plane with corresponding first 20 fields of view, and at least one convex portion of each first reflective surface providing respective panoramic second fields of view, said first reflective surface being arranged back to back such that said reflective second fields of view at least partially overlap.
- 10. A panoramic imaging system as claimed in any one of claims 1 to 9 further including
   25 a second reflective surface interposed between the image plane and said second reflective surface.
  - 11. A panoramic imaging system as claimed in claim 10 wherein the imaging device is positioned behind the second reflective surface.

- 12. A panoramic imaging system as claimed in claim 11 wherein an aperture is provided in said first reflective surface to provide said first field of view from the imaging device.
- 5 13. A panoramic imaging system as claimed in any of claims 10 to 12 wherein said second reflective surface is substantially planar.
- 14. A reflective surface for use in a panoramic imaging system including an imaging device having an imaging plane and a first field of view, said reflective surface having at least one circularly symmetric portion convex in a radial direction with a profile providing varying gain in the radial direction between an expanded panoramic second field of view provided by the reflective surface and the first field of view to limit variation in the solid angle of view across the image plane of the imaging device.
- 15 15. A reflective surface as claimed in claim 14 wherein the profile of the or each convex portion provides a substantially uniform solid angle of view across the image plane.
- 16. A reflective surface as claimed in claim 14 or claim 18 wherein the profile of the or each convex portion at least approximates a profile defined in polar co-ordinates by the 20 equation:

$$\frac{dr}{d\theta} = r \cot \left[ -\frac{1}{2} \int (1 + \alpha(\theta)) d\theta \right]$$

where r is the radial distance from the reflective surface to the imaging device  $\theta$  is the angle from the optical axis of the imaging device  $\alpha$  ( $\theta$ ) is the mirror gain given by

25 
$$\alpha(\theta) = B_{\alpha} [\tan(\theta) + \tan^{3}(\theta)]$$

$$B_{\alpha} = \frac{2(\overline{\Phi} - \underline{\Phi})}{\tan^2(\overline{\theta}) - \tan^2(\underline{\theta})}$$

10

- $\Phi$  and  $\Phi$  are the maximum and minimum elevations viewed  $\theta$  and  $\Phi$  are the maximum and minimum radial angles imaged.
- 17. A reflective surface as claimed in claim 16 wherein the profile of the or each convex
  5 portion includes by a series spaced apart points defined by determining distance r for selected values of angle θ.
  - 18. A reflective surface as claimed in claim 17 wherein the selected values of  $\theta$  are separated by about 1/5°.
  - 19. A reflective surface as claimed in any one of claims 14 to 18 including a first reflector surface. having at least two of said convex portions arranged to respectively provide at least partially overlapping panoramic second fields of view for range determination.
- 15 20. A reflective surface as claimed in claim 19 wherein said panoramic second fields of view are substantially co-incident.
  - 21. A reflective surface as claimed in claim 20 wherein said at least two convex portions form a continuous reflective surface.

1/12

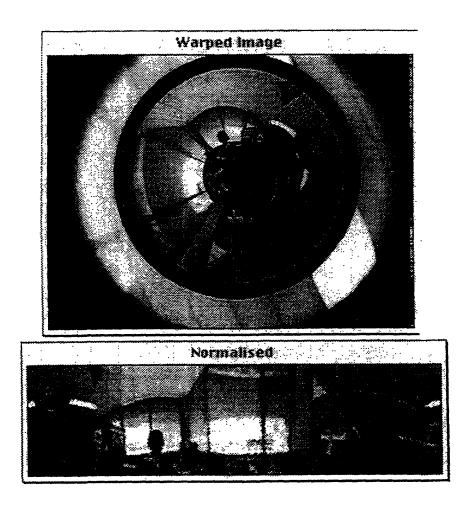


FIGURE 1

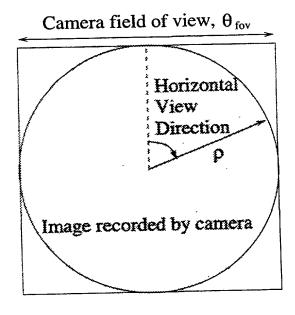
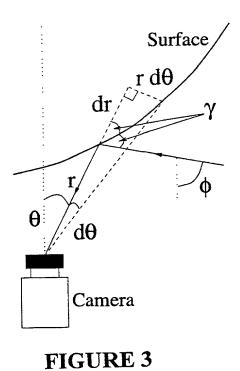
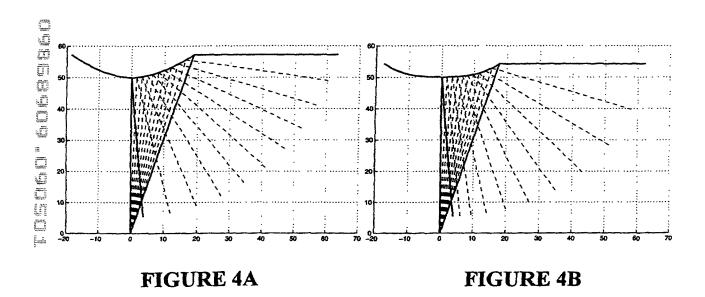


FIGURE 2



Substitute Sheet (Rule 26) RO/AU



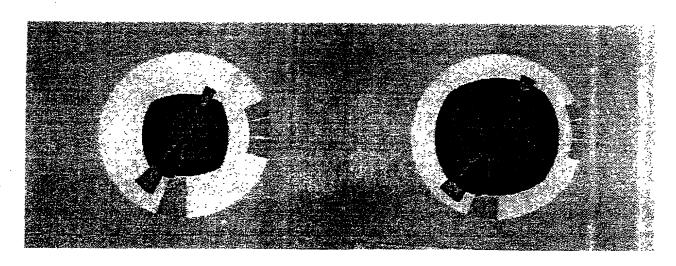
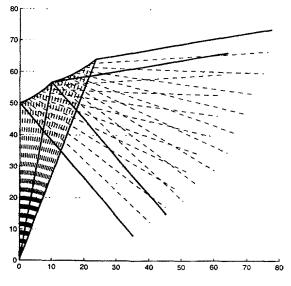


FIGURE 5A

FIGURE 5B





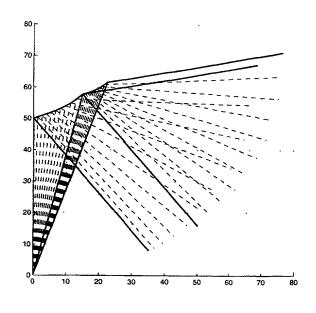


FIGURE 6A

FIGURE 6B



FIGURE 7A

FIGURE 7B

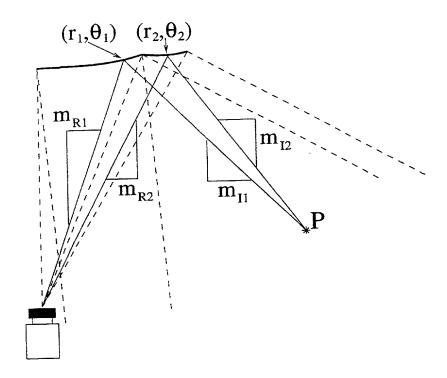


FIGURE 8

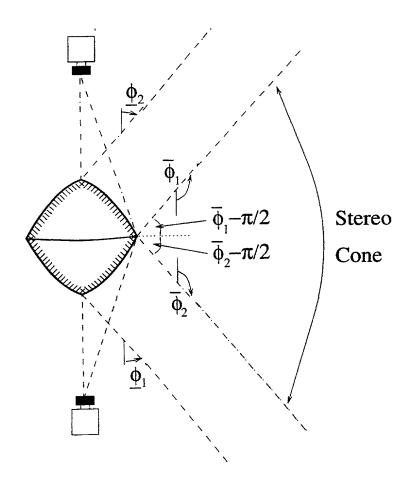
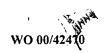


FIGURE 9



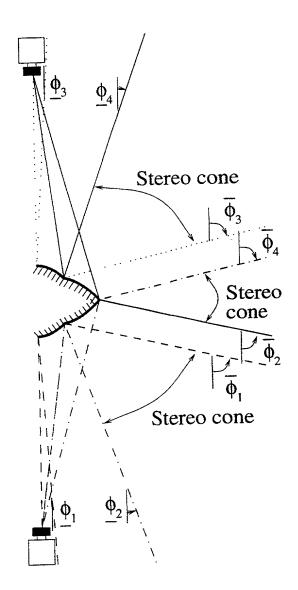


FIGURE 10

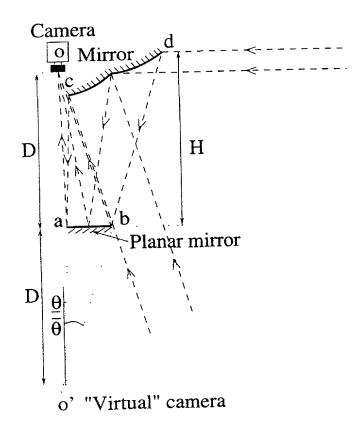


FIGURE 11

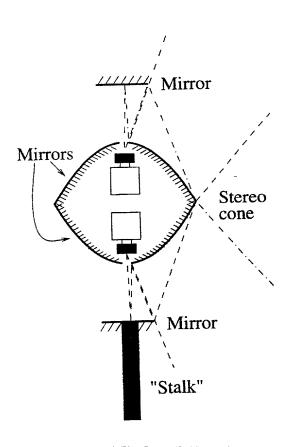


FIGURE 12

## Declaration and Power of Attorney For Utility or Design Patent Application English Language Declaration

As a below named invent	or, I hereby declare that	:					
My residence, post office	address and citizenship	are as stated below next to my name	÷.				
I believe I am the original, first and sole inventor (if only one name is listed below) or an original, first and joint inventor (if plural names are listed below) of the subject matter which is claimed and for which a patent is sought on the invention entitled							
Resolution i	nvariant panoran	nic imaging					
the specification of which	is attached hereto unles	ss the following box is checked:					
was filed onas							
United States Application and was amended on _	ion Number		(if applicable) or,				
PCT International App and was amended on _	lication Number PCT	/AU00/00022 filed on 14 J	January 2000 (if applicable)				
the claims, as amended by	/ any amendment referre  disclose information w	d the contents of the above identified ed to above.  hich is material to patentability as de					
identified below, by check	king the "No" box, any i	e 35, United States Code §119 (a-d) ifficate, or §365(a) of any PCT internited United States of America, listed beforeign application for patent or invedate before that of the application or	ntor's certificate, or of				
PP8191/99	Australia	15 January 1999					
(Number)	(Country)	(Day/Month/Year Filed)	Yes No				
PCT/AU00/00022	PCT	14 January 2000					
(Number)	(Country)	(Day/Month/Year Filed)	Yes No □				
(Number)	(Country)	(Day/Month/Year Filed)	Yes No				
☐ Additional foreign app	lication numbers are lis	ted on a supplemental priority sheet	attached hereto.				
I hereby claim the benefit application(s) listed below		States Code §119(e) of any United S	tates provisional				
(Number)	(Day/Mont	h/Year Filed)					
(Number)	(Day/Mont	h/Year Filed)					
(Number)	(Day/Mont	h/Year Filed)					
☐ Additional provisiona	l application numbers a	re listed on a supplemental priority s	heet attached hereto.				

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(Application No.)	(Filing D	ate) (1	(Status) patented, pending, abando	ned)
Additional U.S. or international hereto.	l application numbers	s are listed on a sup	pplemental priority sheet a	ittached
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WER OF ATTORNEY: As a nath the Customer Number provident and Trademark Office connustomer Number:	ed below to prosecut	e this application a direct that all corre	and transact all business in	the
re appointed attorneys include:	•		<del>-</del>	
Neil F. Greenblum Bruce H. Bernstein Arnold Turk James L. Rowland F	Reg. No <u>. 28,394</u> Reg. No <u>. 29,027</u> Reg. No <u>. 33,094</u> Reg. No <u>. 32,674</u>	Stephen M. Ro Leslie J. Paperr William Pieprz William E. Lyd	ier Reg. No. 33,329 Reg. No. 33,630	•
At:	Greenblum & Berns 1941 Roland Clarke Reston, VA 20191	tein, P.L.C. Place		
irect Telephone Calls to: Greenb	lum & Bernstein, P.	L.C. (703) 716-11	91	
Full name of sole or first inventor	JOHN BAR	RATT MOORE		
)				4
			Date 15/8/2001	

(Supply similar information and signature for second and subsequent joint inventors.)

Citizenship

Post Office Address

Australian

"As above"

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Post Office Address "as above"	,
Full name of third joint inventor, if any	
Third Inventor's signature	Date
Residence	
Citizenship	
Post Office Address	
Fulf name of fourth joint inventor, if any	
Fourth Inventor's signature	Date
Residence	
Ciffzenship	
Post Office Address	
Full name of fifth joint inventor, if any	
Fifth Inventor's signature	Date
Residence	
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Sixth Inventor's signature	Date
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